

Exponential (Growth/Decay) Feb 7

Exponential Function Form



**a = Initial Value**

**(b = 1 ± rate(r) express as a decimal)**

1) Change the following percent to decimals:

a. 33% = \_\_\_\_\_

d. 1.5% = \_\_\_\_\_

b. 15% = \_\_\_\_\_

e. 100% = \_\_\_\_\_

c. 50% = \_\_\_\_\_

f. 25% = \_\_\_\_\_

2) Alice's height doubles each time she eats an ounce of cake (increases by 100%).

a) Express the **rate (r)** of 100% as a decimal = \_\_\_\_\_

b) Find the **Growth Factor (b = 1 + rate (r) )** = \_\_\_\_\_

3) Alice's height is cut in half each time she drinks an ounce from the bottle (decreases by 50%).

a) Express the **rate (r)** of 50% as a decimal = \_\_\_\_\_

b) Find the **Decay Factor (b = 1 - rate (r) )** = \_\_\_\_\_

4) Every day you forget a third (33%) of the material you learn in Algebra.

a) Express the **rate (r)** of 33% as a decimal = \_\_\_\_\_

b) Find the **Growth /Decay Factor (b)** = \_\_\_\_\_

5) Rabbits' populations increase by 25% each year. Find the rate of change.

a) Express the **rate (r)** of 25% as a decimal = \_\_\_\_\_

b) Find the **Growth/Decay Factor (b)** = \_\_\_\_\_

6) The population of rabbits increases at a rate of 25% per year. You have counted 40 rabbits in your uncle's farm.

a) Determine the growth or decay factor (b), the rate (r), and the initial count (a).

a = \_\_\_\_\_      r = \_\_\_\_\_      b = (1 + r) = \_\_\_\_\_

b) Write a function that models the change in the rabbits' population for any year.

c) Graph the function and estimate the number of years until the rabbits' population will multiply 3 times.



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7) The world population of tigers in 2000 was approximately 3,125. The annual rate of decrease was about 15% per year.

a) Determine:

a = \_\_\_\_\_      rate = \_\_\_\_\_      b = \_\_\_\_\_

b) Do we have a growth or decay factor? Identify it.

c) Suppose the rate of decrease continues to be 12% per year. Write a function to model the world population of tigers for any given year.

c) Graph the function. Estimate the number of years until the population will reduce approximately one fifth.

